

9/12/16

"Success is not final, failure is not fatal: it is courage to continue that counts"-Winston Churchill

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HW: "Multiplying Radicals" worksheet #3, 5, 7, 9, 13, 15, 17, 19, 23, 25
Test on Tuesday 9/20

AIM: How do we Multiply Radicals?

Warm Up:

1) Simplify

$$2\sqrt{3y} - 5y^2 + 4\sqrt{3y} + \sqrt{36y^4}$$

$$\boxed{2\sqrt{3y}} - 5y^2 + \boxed{4\sqrt{3y}} + \boxed{6y^2}$$

$$\boxed{6\sqrt{3y} + 1y^2}$$

⊗ Even powers
are perfect
squares

⊗ When adding/subtracting with radicals:

- The index must be the same
- The radicand (term under) must be the same.

⊗ Keep the radicand
and combine the coefficients

$$1) (-5\sqrt{3} - 3\sqrt{3}) = \boxed{-8\sqrt{3}}$$

-8

$$2) (2\sqrt{8} - 1\sqrt{8}) = 1\sqrt{8} = \sqrt{8} = \boxed{2\sqrt{2}}$$

1

$\sqrt{4} \sqrt{2}$
 $2\sqrt{2}$

$$3) (-3\sqrt{12} + 3\sqrt{3} + 3\sqrt{20})$$

$\sqrt{4} \sqrt{3}$ $\sqrt{4} \sqrt{5}$
 $-3 \cdot 2\sqrt{3}$ $3 \cdot 2\sqrt{5}$
 $-6\sqrt{3} + 3\sqrt{3} + 6\sqrt{5}$
 $\boxed{-3\sqrt{3} + 6\sqrt{5}}$

$$4) (a\sqrt{27} - 2\sqrt{3a^2})$$

$\sqrt{9} \sqrt{3}$ $\sqrt{a^2} \sqrt{3}$
 $a \cdot 3\sqrt{3}$ $-2a\sqrt{3}$
 $3a\sqrt{3} - 2a\sqrt{3}$
 $\boxed{a\sqrt{3}}$

$$5) (3\sqrt{242x^5y^5} + 11xy\sqrt{2x^3y^3})$$

$\sqrt{121x^4y^4} \sqrt{2xy}$ $\sqrt{x^2y^2} \sqrt{2xy}$
 $3 \cdot 11x^2y^2\sqrt{2xy}$ $11xy \cdot xy\sqrt{2xy}$
 $33x^2y^2\sqrt{2xy} + 11x^2y^2\sqrt{2xy}$
 $\boxed{44x^2y^2\sqrt{2xy}}$

When we Multiply radicals:

1. Outside X Outside \rightarrow Stays outside

2. Inside X Inside \rightarrow Stays inside
 $\sqrt{\quad} \times \sqrt{\quad}$

3. Simplify (Break Out, if we can)

⊗ Perfect to be taken out.

$$(2x) \cdot (3x) = 6x^2 \text{ or } (2x) \cdot (3y) = 6xy$$

$$(2\sqrt{3}) \cdot (3\sqrt{2}) = 6\sqrt{6}$$

$$2\sqrt{3} \cdot \sqrt{5} = 2\sqrt{15}$$

$$6) \sqrt{2} \cdot \sqrt{50} = \sqrt{100} = 10$$

$$\downarrow \quad \downarrow$$

$$\sqrt{25} \quad \sqrt{2}$$

$$1\sqrt{2} \quad 5\sqrt{2} = 5\sqrt{4}$$

$$5 \cdot 2 = 10$$

⊗ Multiply first, then simplify.

$$7) \sqrt{7} \cdot \sqrt{7} = \sqrt{49} = 7$$

cubes
↓

$$8) \sqrt[3]{8} \cdot \sqrt[3]{27} = \sqrt[3]{216} = \boxed{6}$$

⊗ If we are multiplying identical square roots, the result is just the radicand.

$$9) 3\sqrt{2} \cdot 1\sqrt{10} = 3\sqrt{20} = 6\sqrt{5}$$

$$\downarrow \quad \downarrow$$

$$\sqrt{4} \quad \sqrt{5}$$

$$3 \cdot 2\sqrt{5}$$

$$6\sqrt{5}$$

$$10) \sqrt{\frac{21}{1}} \cdot \sqrt{\frac{4}{3}} = \sqrt{\frac{84}{3}} = \sqrt{28}$$

$$\sqrt{\frac{21}{1} \cdot \frac{4}{3}}$$

$$\downarrow \quad \downarrow$$

$$\sqrt{4} \quad \sqrt{7}$$

$$2\sqrt{7}$$

$$11) (3\sqrt{12})^2 =$$

$$(3\sqrt{12})(3\sqrt{12}) = 9\sqrt{144}$$

$$9 \cdot 12 = \boxed{108}$$

$$(\sqrt{12})^2$$

$$\sqrt{12} \cdot \sqrt{12} = 12$$

$$\text{b/c } \sqrt{144} = 12$$

$$12) 2\sqrt{ab} \cdot 2\sqrt{ab^2}$$

$$= 4\sqrt{a^2b^3}$$

$$\sqrt{a^2b^2} \sqrt{b}$$

$$\boxed{4ab\sqrt{b}}$$

ex:

$$\sqrt{b^5c^5}$$

$$\sqrt{b^4c^4} \sqrt{bc}$$

$$13) \sqrt{5}(1 - \sqrt{10}) = \sqrt{5} - \sqrt{50}$$

$$\sqrt{5} - \sqrt{50}$$

$$\downarrow \quad \quad \quad \wedge$$

$$\sqrt{25} \sqrt{2}$$

$$\boxed{\sqrt{5} - 5\sqrt{2}}$$

$$\sqrt{a^{301}} = \sqrt{a^{300}} \sqrt{a^1}$$

$$\sqrt{a^{300}} = \sqrt{a^{50}} \sqrt{a^{50}} = a^{50}$$

5x - 50y can't be changed

14) $(x - \sqrt{3y})(2x - \sqrt{3y})$

HW: "Multiplying Radicals" w/s #31, 33, 37, 39, 42

Test 1 on Tuesday 9/20

Warm Up: Simplify

Perfect cubes:
1, 8, 27, 64, 125

$$\begin{aligned}
 & 2\sqrt[3]{24x^3y^4} + 4x\sqrt[3]{81y^4} - 3y\sqrt[3]{24x^3y} \\
 & \quad \downarrow \quad \quad \downarrow \quad \quad \downarrow \\
 & \quad \sqrt[3]{8x^3y^3} \quad \sqrt[3]{3y} \quad \quad \sqrt[3]{27y^3} \quad \sqrt[3]{3y} \quad \quad \sqrt[3]{8x^3} \quad \sqrt[3]{3y} \\
 & \quad \downarrow \quad \quad \downarrow \quad \quad \downarrow \\
 & 2 \cdot 2xy \sqrt[3]{3y} \quad + 4x \cdot 3y \sqrt[3]{3y} \quad (-3y) 2x \sqrt[3]{3y} \\
 & 4xy \sqrt[3]{3y} \quad + 12xy \sqrt[3]{3y} \quad - 6xy \sqrt[3]{3y}
 \end{aligned}$$

$$10xy \sqrt[3]{3y}$$